

A Fixed Abrasive CMP Model

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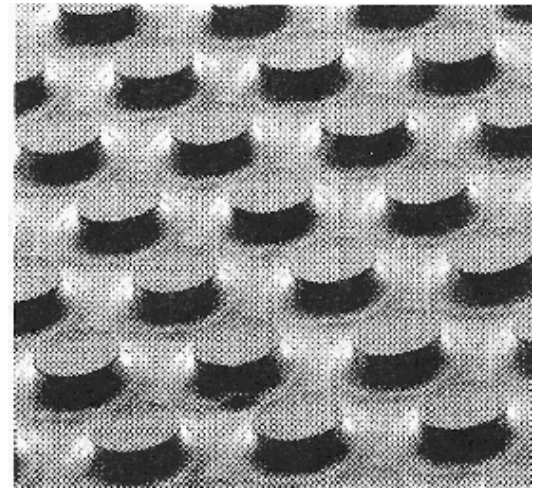
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Outline

- Introduction
 - Motivation
 - Fixed abrasive pads
 - Previous models
- Fixed Abrasive Model Derivation
 - Removal rate diagrams
 - Decoupling patterned and blanket removal rates
 - Patterned rate dependence on density
- Characterization Methodology
- Experimental Description and Results
- Conclusions and Future Work

Motivation

- Fixed abrasive pad has exhibited behavior that is different from conventional pads
- Propose a model that is based on conventional density-based approaches, but seeks to capture key effects of the fixed abrasive CMP process



Römer, et al, CMP-MIC 2000

Previous CMP Models

- Previous models capture conventional CMP processes well
 - Effective pattern density effect
 - Step height dependency
- Additional effects seen in fixed abrasive CMP experiment results are not captured
 - Extremely low blanket removal rate
 - Strong response to topography

Effect 1: Pattern Density Dependence

Key Ideas

- Importance of “pattern density” in CMP
- Derived from Preston’s glass polishing equation
- Key relationship:

$$RR = \frac{K}{\rho}$$

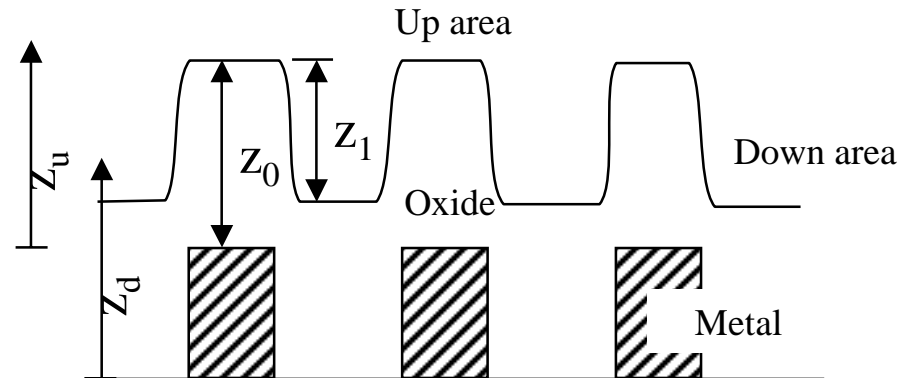
RR: Patterned removal rate

K: Blanket removal rate

ρ : Effective pattern density

**Stine, “A Closed Form Analytic Model for ILD Thickness Variation in CMP Processes,” CMP-MIC 1997*

Density-Based CMP Model*



$$z_u = z_0 - \left(\frac{Kt}{\rho_0(x, y)} \right) \quad z_u \geq z_0 - z_1$$

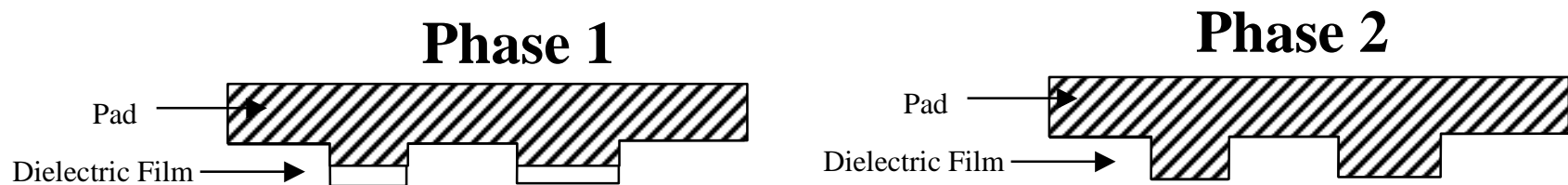
$$z_u = z_0 - z_1 - Kt + \rho_0(x, y)z_1 \quad z_u \leq z_0 - z_1$$

*Stine, "A Closed Form Analytic Model for ILD Thickness Variation in CMP Processes," CMP-MIC 1997.

Effect 2: Step Height Dependence*

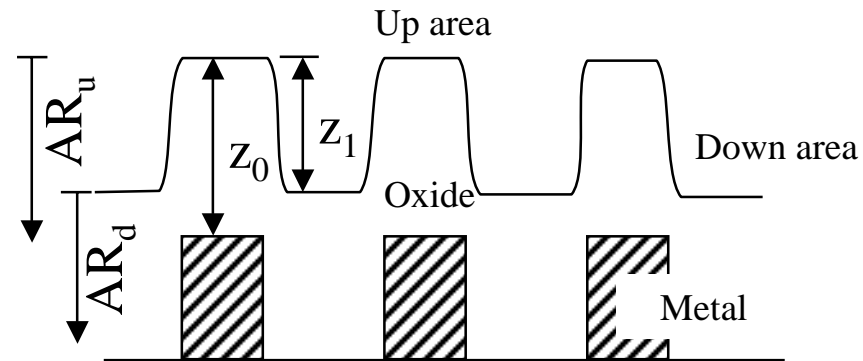
Key Ideas

- Two phases of CMP process
 - Phase 1: Before “contact height” is reached, polish behaves as in pure density model
 - Phase 2: After “contact height” is reached, removal rate becomes a function of both pattern density and step height



*Smith, "A CMP Model Combining Density and Time Dependencies," CMP-MIC 1999.

Density-Step Height CMP Model*

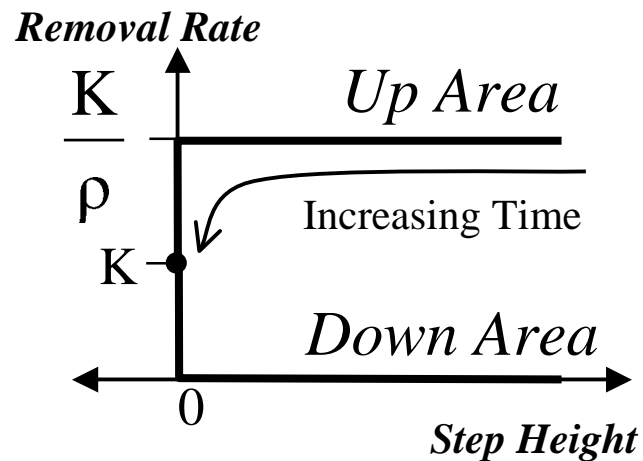


$$AR_u = t_c \frac{K}{\rho} + K(t - t_c) + (1 - \rho) \frac{h_c}{\tau} \left(1 - e^{-\frac{(t-t_c)}{\tau}} \right)$$

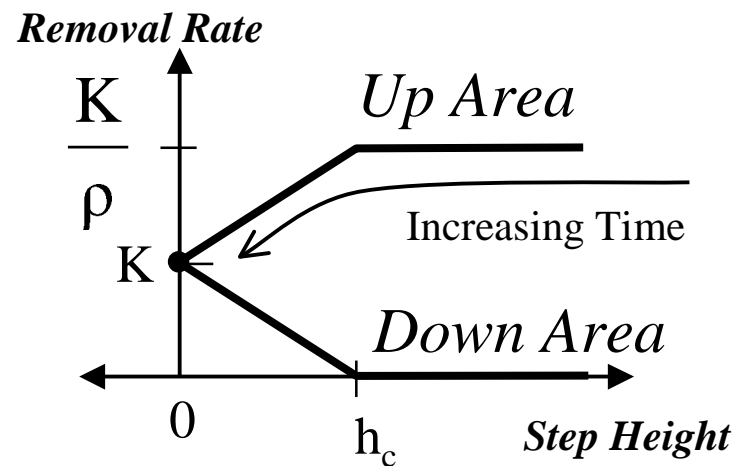
$$AR_d = K(t - t_c) - \rho \frac{h_c}{\tau} \left(1 - e^{-\frac{(t-t_c)}{\tau}} \right)$$

*Smith, "A CMP Model Combining Density and Time Dependencies," CMP-MIC 1999.

Summary: Conventional CMP Models



Pure Density
CMP Model

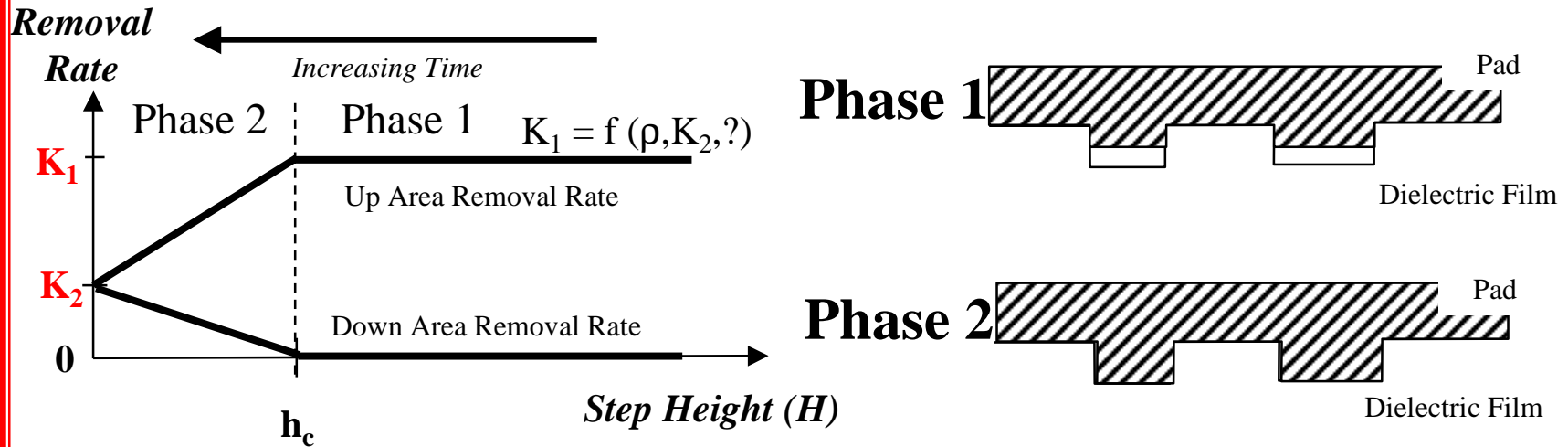


Density-Step Height
CMP Model

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Fixed Abrasive Model



- Two phases: before and after pad contacts the down areas
- Generalize patterned (K_1) and blanket (K_2) removal rates

Fixed Abrasive Model

$$AR_u = K_1 t_c + K_2 (t - t_c) + h_c \left(1 - \frac{K_2}{K_1} \right) \left[1 - e^{-\frac{(t-t_c)}{\tau_{ox}}} \right]$$

$$AR_d = K_2 (t - t_c) - h_c \frac{K_2}{K_1} \left[1 - e^{-\frac{(t-t_c)}{\tau_{ox}}} \right]$$

K_1 : *Patterned film removal rate*

K_2 : *Blanket film removal rate*

τ_{ox} : *Dielectric step height time constant*

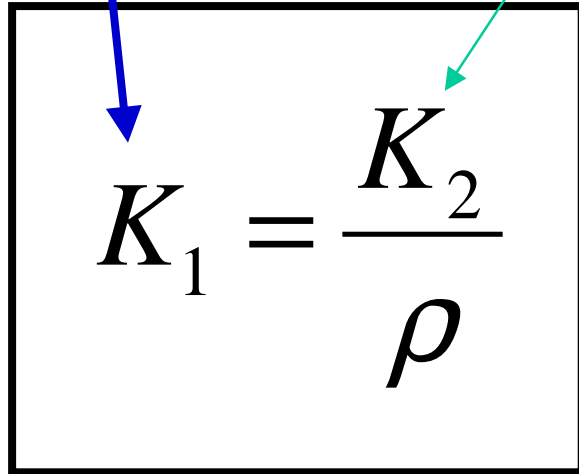
t_c : *Contact time*

h_c : *Contact height*

Decoupling K_1 and K_2

Patterned Rate

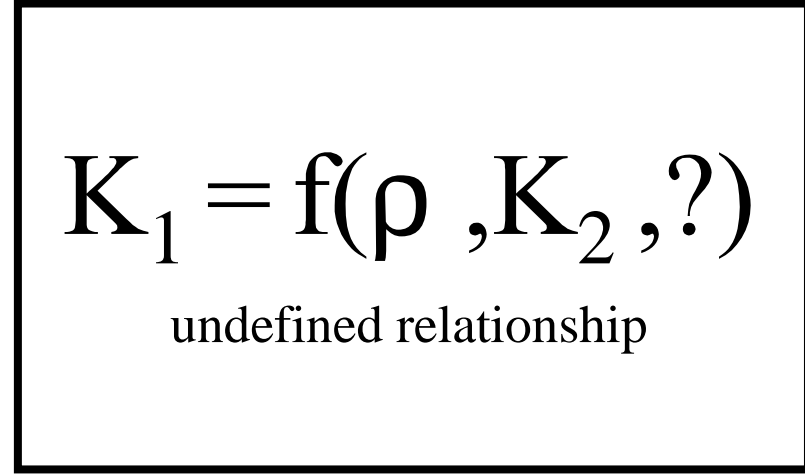
Blanket Rate



A rectangular box containing the equation $K_1 = \frac{K_2}{\rho}$. A blue arrow points from the text 'Patterned Rate' to the K_1 term. A green arrow points from the text 'Blanket Rate' to the K_2 term.

$$K_1 = \frac{K_2}{\rho}$$

Conventional
Model



A rectangular box containing the equation $K_1 = f(\rho, K_2, ?)$ and the text 'undefined relationship' below it.

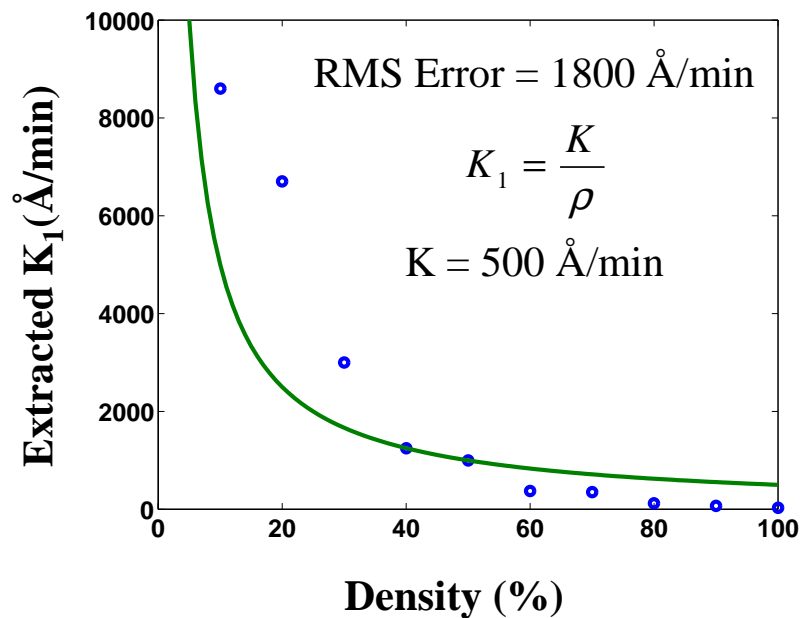
$$K_1 = f(\rho, K_2, ?)$$

undefined relationship

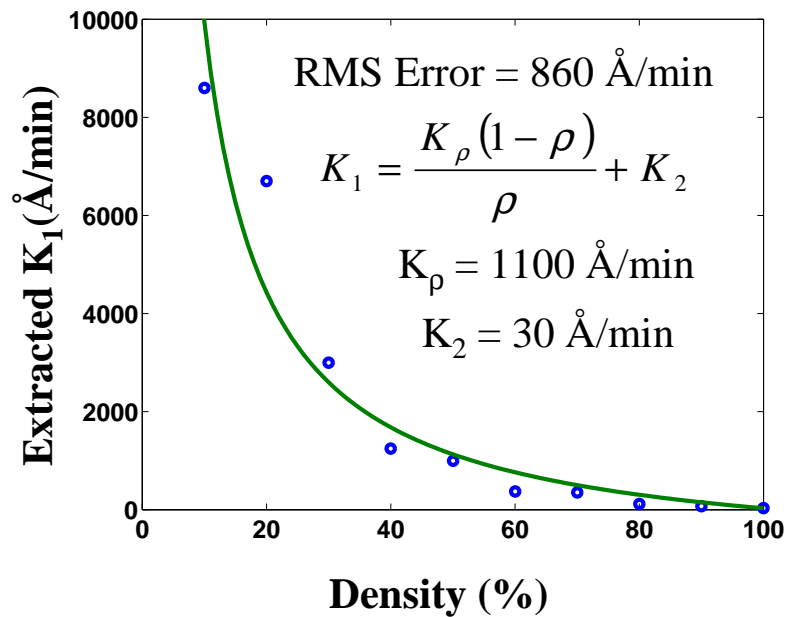
Proposed
Model

Removal Rate Dependencies

Pure inverse density dependency

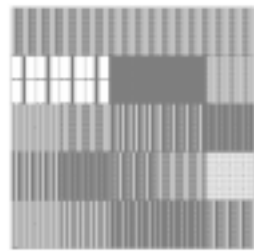


Alternative dependency



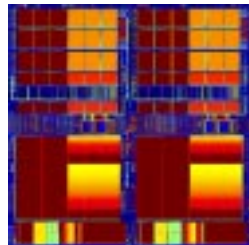
- Data points from fixed abrasive pad experiments

Characterization Methodology



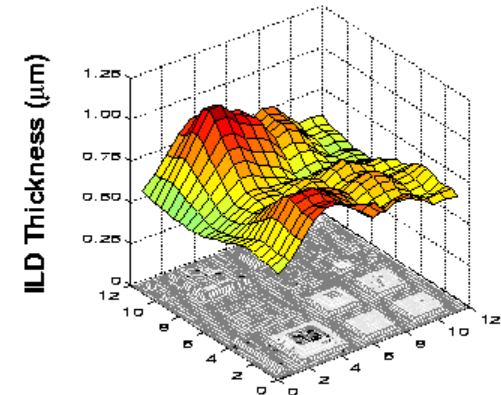
Test Mask

Calibrate
Model Parameters



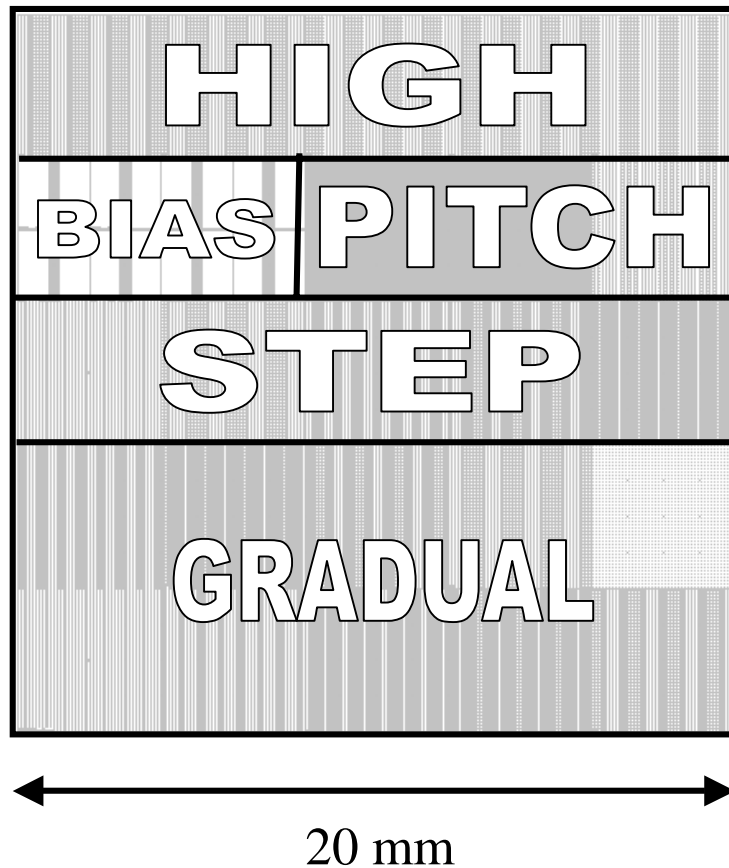
Arbitrary
Layout

Dielectric
CMP Model



Final Film
Thickness Prediction

Test Mask

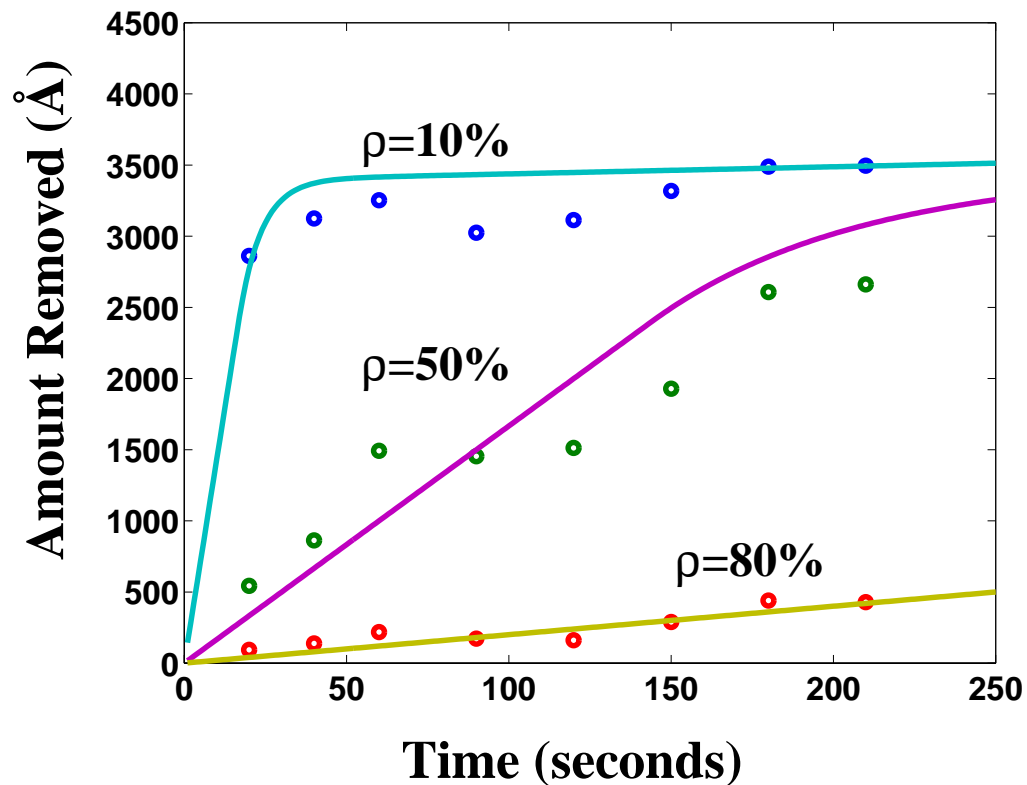


- High Density Structures
- Pitch Structures
 - Down area polish study
- Bias Structures
 - Measure deposition characteristics
- Step Density Structures
Gradual Density Structures
 - Planarization length characterization
 - Structures from 10% to 100% density

Experimental Description

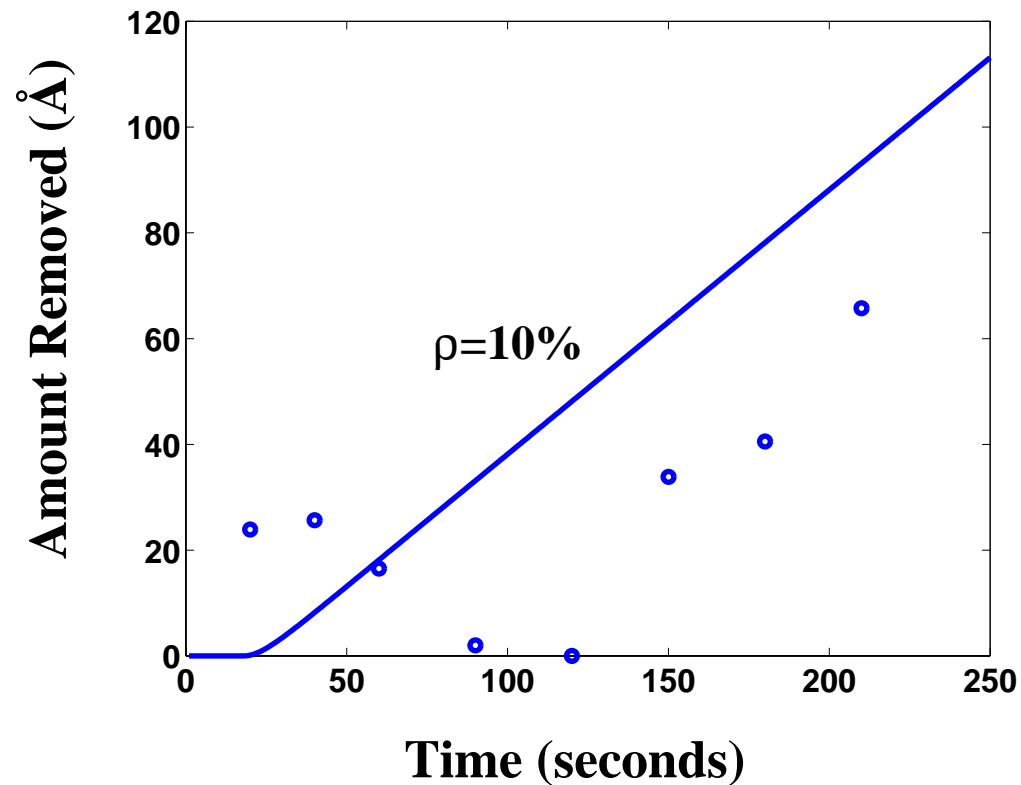
- STI wafers with test pattern
 - Trench depth 3100 Å, nitride/oxide stack 1160 Å
- HDP oxide deposited to 4300 Å
- Obsidian Flatland 501 CMP tool
- 3M fixed abrasive pad
 - Ceria particles in a cylinder matrix
- Eight time steps
 - 20, 40, 60, 90, 120, 150, 180, 210 seconds

Experiment Data vs. Model (Up Area)



- After step is removed, polish rate dramatically decreases
- Model predicts trends in data

Experiment Data vs. Model (Down Area)



- $\rho = 50\%$, 80% not shown (no material removed during this time duration)

Model Results

ρ (%)	K_1 (Å/min)	Up Area Error (Å)	Down Area Error (Å)	ρ (%)	K_1 (Å/min)	Up Area Error (Å)	Down Area Error (Å)
10	8600	223	30	60	375	140	10
20	6700	287	40	70	350	145	12
30	3000	374	24	80	120	60	7
40	1250	495	11	90	70	43	29
50	1000	355	15	100	30	27	n/a

- $h_c = 1000 \text{ \AA}$
- $K_2 = 30 \text{ \AA/min}$, $K_\rho = 1100 \text{ \AA/min}$
- $PL = 2.3 \text{ mm}$

$$K_1 = \frac{K_\rho (1 - \rho)}{\rho} + K_2$$

Conclusions and Future Work

- Demonstrated generalized model for dielectric CMP process
 - applicable to fixed abrasive CMP
- Examined relationship between patterned and blanket removal rates
 - proposed possible dependency
- Future: Examine the nature of the FA effect
 - fixed matrix nature of abrasive?
 - ceria or particle nature?